

#### Jamboré Meetup 2015

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## A problem



How do bike gears work?

# Can we explain why is it easier to climb up hill with a lower gear in our bike?



## The solution is using COGS



ModeliGEM

## And this is why...



## This is precisely how clocks work!



# This is a perfectly fine explanation!

## But there is a problem: we can't measure it!

This also means:

- We can't test it!
- We can't make predictions!

## What do scientists sell?

Ideas!

The scientific method

If you understand something, you should always try to disprove yourself.

# That is the whole idea behind constructing models

- Let's construct a simple model
- We should be able to test out model!
- We should be able to make predictions!

#### How do bike gears work?



- Suppose we fix the front gear, with radius  $L_f$
- Let  $L_b$  be the radius of the back gear
- Let  $\Delta$  be the length of a gear tooth
- The number of teeth in a gear with radius L is

 $\frac{\text{Circunference Length}}{\text{Length of each Tooth}} = \frac{2\pi L}{\Delta}$ 

#### How do bike gears work?



- A full rotation makes ALL TEETH pass through a point.
- Therefore, if the front gear rotates 360° degrees, then the back gear will rotate

$$n_b = \frac{2\pi L_f L_b}{\Delta^2}$$

• Linear in L<sub>b</sub>?!?!

Empirically verifying it!

Calculating in meters, one rotation means  $(2\pi)^2 \frac{L_f L_b}{\Delta}$ 

Actual measurements:



#### One more verification

How about now rotating the front gear with constant frequency *F*??

Model prediction:  $v = F(2\pi)^2 rac{L_f L_b}{\Delta}$ 

Thus: the higher the rotation, the steeper the curve!



- Modeling gives you predictive power!
- It also makes you more confident that you actually know what is going on!

Model is not suppose to be representing the true!

It should, however, represent a simplistic, clear, testable, mechanistic view of how your system behaves!









## Let's go back to the tire...











For roxA:

$$\frac{dM_r}{dt}(t) = -\alpha_r M_r(t) + \beta_r \frac{P^n(t)}{K^n + P^n(t)}$$
$$\frac{dP_r}{dt}(t) = -\delta_r P_r(t) + k_r M_r(t)$$

For hokD:

$$\frac{dM_h}{dt}(t) = -\alpha_h M_h(t) + \beta_h \frac{1}{1 + \frac{P_t^n(t)}{K^n}} + \beta_{lh}$$

$$\frac{dP_h}{dt}(t) = -\delta_h P_h(t) + k_h M_h(t)$$

Let's make a prediction?

Let's check how the system behaves if we drop Rhamnose concentrations at some point...



- In conclusion: modeling is easy!!

- There are another challenge in our project: our enzyme's product is most of the time exactly the same as our substrate.

- To fix it and make enzymatic assays, we've re-derived a Michaelis-Menten like kinetics.

- We are now fitting our model with fluorescence experiments!

- We will use our simulations to guide us through scaling up to the industrial level!

## A big thanks to our sponsors!



# And thank you for your attention :)

